

Process Modelling and Thermodynamic Analysis of Hydrogen Production through Chemical Looping Ammonia Cracking

Supplementary information (SI)

1. Calculation of fixed E_{red} that cannot be utilised for hydrogen production

The fixed E_{red} defines the part of oxygen that was not reduced by hydrogen, in this process, Fe_2O_3 is partially reduced and Fe_3O_4 is formed. The ratio of fixed E_{red} can be calculated:

$$E_{redfix}(\%) = \frac{M_{O_2, total\ removed}}{M_{O_2, removed\ by\ Fe_3O_4}} = \frac{M_{Fe_2O_3} - M_{Fe}}{M_{Fe_2O_3} - M_{Fe_3O_4}}$$

where $M_{Fe_2O_3}$, $M_{Fe_3O_4}$, and M_{Fe} are the mass flow of circulated Fe_2O_3 , Fe_3O_4 , and circulated Fe. Therefore, $M_{O_2, total\ removed} = 500\ kg \cdot h^{-1}$ and $M_{O_2, removed\ by\ Fe_3O_4} = 4563\ kg \cdot h^{-1}$, so $E_{redfix} \approx 11\%$. About 11% of E_{red} is unutilised when T_{Ao} is 960 °C.

2. Calculation of $\dot{m}_{H_2, max}$ of the model at $T_{Ao} = 960\ ^\circ C$

The molar flow of oxygen in feeding can be calculated:

$$F_{O_2} = \frac{M_{Fe_2O_3} - M_{RedOx}}{MW_{O_2}}$$

where $M_{Fe_2O_3} = 15180\ kg \cdot h^{-1}$ is the mass flow of Fe_2O_3 , $M_{RedOx} = 13202\ kg \cdot h^{-1}$ is the mass flow of reduced oxides, and MW_{O_2} is the molar mass of O_2 . Therefore, $F_{O_2} = 61.82\ kmol \cdot h^{-1}$.

Using Eq. (23), $F_{O_2}^{Fe_3O_4} = 15.61\ kmol \cdot h^{-1}$. Then using Eq. (22), $\dot{m}_{H_2, max} = 186.67\ kg \cdot h^{-1}$.

3. Calculation of M_{H_2} from $Fe \rightarrow Fe_{0.947}O$ transition in Area-4

This calculation shows the highest yield that is possible in Area-4, where there are thermodynamic limitations for $Fe_{0.947}O \rightarrow Fe_3O_4$ transition, yielding no hydrogen from this. The only hydrogen yield is from $Fe \rightarrow Fe_3O_4$ transition.

The molar flow of Fe in the feeding can be calculated:

$$F_{Fe} = \frac{M_{OC} X_{Fe}}{MW_{Fe}}$$

where $M_{OC} = 18274 \text{ kg} \cdot \text{h}^{-1}$ is the mass flowrate of OC to SR, $X_{Fe} = 11.56\%$ is the mass fraction of Fe, and MW_{Fe} is the molar mass of Fe. Therefore, $F_{Fe} = 37.77 \text{ kmol} \cdot \text{h}^{-1}$.

Using Eq. (10) in SR, the mass flow of hydrogen can be calculated:

$$M_{H_2} = 1.056 \cdot F_{Fe} MW_{H_2} = 80.56 \text{ kg} \cdot \text{h}^{-1}$$

4. Calculations of η_{OEE} , η_{CGE} and ΔT_{SR}

A calculation is shown, using a SR pressure of 5 bar as an example.

When T_{Ao} is 960 °C, the model was converged with $M_{H_2} = 166.79 \text{ kg} \cdot \text{h}^{-1}$ and $M_{NH_3} = 1410 \text{ kg} \cdot \text{h}^{-1}$. The HHVs of ammonia and hydrogen are 22.5 MJ.kg⁻¹ and 141 MJ.kg⁻¹, respectively. Therefore, using Eq. (20), $\eta_{CGE} = 74.13\%$.

The LHVs of ammonia and hydrogen are 18.8 MJ.kg⁻¹ and 120 MJ.kg⁻¹, respectively. When SR pressure was 5 bar, $W_{comp} = 0$ and $Q_{process} = 0$. Therefore, using Eq. (19), $\eta_{OEE} = 75.51\%$.

The variation of O₂ in SR can be calculated:

$$\Delta M_{O_2-SR} = \frac{M_{O_2, out} - M_{O_2, in}}{MW_{O_2}}$$

where $M_{O_2, in}$ and $M_{O_2, out}$ are the mass flow of oxides at SR inlet and outlet. Here, $\Delta M_{O_2-SR} = 41.36 \text{ kmol} \cdot \text{h}^{-1}$. The variation of SR inlet and outlet temperature was 53.52 °C. Therefore, $\Delta T_{SR} = 1.294 \text{ °C/kmol} - O_2$.

5. Heat balance for the model

5.1 Calculation of the net heat consumed ($Q_{heat-sink}$) in heat sink

For the calculation, it is considered the following heat: the heat from input oxides (Q_i) and gas (Q_{NH_3}), the heat remained in output reduced oxides (Q_o) and direct loss (Q_v). Here, the values collected from the model (Fig. 8) were used.

The heat input of the heat sink can be calculated with:

$$Q_i = m_i C_{pi} (T_{Ao} - 25)$$

$$Q_{NH_3} = M_{NH_3} C_{p-NH_3} (T_{NH_3} - 25)$$

where $m_i = 20,000 \text{ kg} \cdot \text{h}^{-1}$ is the mass flow of FR inlet, $M_{NH_3} = 1,220 \text{ kg} \cdot \text{h}^{-1}$ is the mass flow of ammonia inlet. $C_{pi} = 1.57 \text{ kJ} \cdot \text{kg}^{-1} \cdot ^\circ\text{C}^{-1}$ is the mass-specific heat capacity of FR inlet from the model, $C_{p-NH_3} = 2.16 \text{ kJ} \cdot \text{kg}^{-1} \cdot ^\circ\text{C}^{-1}$ is the mass-specific heat capacity of ammonia gas. $T_{Ao} = 900 ^\circ\text{C}$ and $T_{NH_3} = 153 ^\circ\text{C}$. Therefore, $Q_i = 27400 \text{ MJ} \cdot \text{h}^{-1}$ and $Q_{NH_3} = 337.8 \text{ MJ} \cdot \text{h}^{-1}$.

The heat output of the heat sink can be calculated with:

$$Q_o = m_o C_{po} (T_{Fo} - 25)$$

where $m_o = 18,280 \text{ kg} \cdot \text{h}^{-1}$ is the mass flow of FR outlet, $C_{po} = 1.07 \text{ kJ} \cdot \text{kg}^{-1} \cdot ^\circ\text{C}^{-1}$ is the mass-specific heat capacity of FR outlet from the model and $T_{Fo} = 590 ^\circ\text{C}$. Therefore, $Q_o = 11,073.1 \text{ MJ} \cdot \text{h}^{-1}$.

The heat loss in FR vent (Q_v) can be collected from the model, which is equal to $7,315.1 \text{ MJ} \cdot \text{h}^{-1}$.

The net heat consumed in FR can then be calculated:

$$Q_{\text{heat-sink}} = Q_i + Q_{NH_3} - Q_o - Q_v = 9349.6 \text{ MJ} \cdot \text{h}^{-1}$$

5.2 Calculation of the net heat generated ($Q_{\text{heat-source}}$) in heat source

For the calculation, the following heat sources were considered: the heat from fuel-fraction of ammonia ($\Delta H_{\text{Comb}NH_3-\text{fuel}}^0$) and the heat of oxidation of the steam in the SR (ΔH_{SR}^0). The heat losses from the AR and SR vent were considered to be 0, as the AR gas vent was cooled to $25 ^\circ\text{C}$ and the SR gas vent was cooled to be below zero in the model (Fig. 8).

The fuel-fraction of the mass flow of ammonia can be calculated using the equation below:

$$M_{NH_3-\text{fuel}} = M_{NH_3} - \frac{M_{H_2}}{0.178}$$

where $M_{NH_3} = 1,220 \text{ kg} \cdot \text{h}^{-1}$ is the mass flow of ammonia inlet (feed) and $M_{H_2} = 147.94 \text{ kg} \cdot \text{h}^{-1}$ is the mass flow of hydrogen output from the model. Here, $M_{NH_3-\text{fuel}} = 388.45 \text{ kg} \cdot \text{h}^{-1}$.

Using the equation below:

$$\Delta H_{CombNH_3-fuel}^0 = HHV \cdot M_{NH_3-fuel} = 8470.1 \text{ MJ} \cdot \text{h}^{-1}$$

The heat of oxidation of the steam in the SR (ΔH_{SR}^0) can be collected from the model, which is equal to 757.7 MJ·h⁻¹.

The net heat generated in the SR and AR can then be calculated:

$$Q_{heat-source} = \Delta H_{CombNH_3-fuel}^0 + \Delta H_{SR}^0 = 9,497.8 \text{ MJ} \cdot \text{h}^{-1}$$

6. Stream composition

The table below (Table S1) summarises the gas composition of the outlet stream from the Fuel Reactor (FR).

Table S1 The gas composition of the outlet stream from the fuel reactor from the Aspen Plus model.

Gas	Molar fraction
NH ₃	1.1410×10^{-11}
N ₂	0.25
H ₂	2.4524×10^{-5}
H ₂ O	0.748
O ₂	1.9183×10^{-7}
NO ₂	1.8261×10^{-12}
NO	1.2093×10^{-7}
N ₂ O	4.0931×10^{-12}

7. Techno-economic analysis

7.1 Estimation of major equipment cost (reactors)

The cost of each of the three reactors (FR, AR, and SR) (C_2), with a known capacity of S_2 , was estimated based on the capacity of a similar reference equipment (S_1) of a known cost (C_1), using the following equation [1,2]:

$$C_2 = C_1 \left(\frac{S_2}{S_1} \right)^n \left(\frac{CEPCI_{Now}}{CEPCI_{Ref}} \right)$$

where n is the scaling factor (equal to 0.7), S_1 and S_2 are the oxide circulation rates, $CEPCI_{Now}$ is the current Chemical Engineering Plant Cost Index value (which is equal to 792 as of May 2024 [3,4]), and $CEPCI_{Ref}$ is the Chemical Engineering Plant Cost Index value of the reference equipment. The prices, CEPCI values, and oxide circulation rates of the three reference reactors are summarised in the table below (Table S2).

Table S2 Prices, CEPCI values, and oxide circulation rates of the reference reactors.

Equipment	Price (K\$)	CEPCI _{Ref}	Circulation rate (ton/h)
Counter Current Reducer [5]	625	603 (2018) [3]	156
Fluidised Bed Reactor [6]	1550	395.6 (2002) [3]	120
Steam Reactor [7]	1650	609.5 (2019) [3]	4846

7.2 Estimation of miscellaneous equipment cost (heat exchanger and pump)

The cost of the heat exchangers (C_{HeatEx}) was estimated using the equation below [8]:

$$C_{HeatEx} = 2306.4 A^{0.67} P^{0.28}$$

where A is the area of the heat exchanger in m² and P is the highest pressure in bar.

The cost of the pump (C_{Pump}) was estimated using the equation below [8]:

$$C_{Pump} = 2,268.13 \times 1.41 P^{0.71} \left[1 + \frac{(1 - 0.80)^3}{(1 - \eta_{Ex})^3} \right]$$

where η_{Ex} is the exergy efficiency of the pump and P is the power of the pump in kW. η_{Ex} was estimated using the equation below:

$$\eta_{Ex} = \frac{\text{Exergy discharged}}{W_{Pump}}$$

where W_{Pump} is the work of the pump in kW and physical exergy of the pump discharge was used, as obtained from the Aspen Plus model.

7.3 Estimation of Purchased Equipment Cost (PEC), Direct Costs (DC), Indirect Costs (IC), Total Capital Investment (TCI), Fixed Operating Cost (FOC), and Variable Operating Cost (VOC)

The PEC was calculated by summing the cost of all equipment costs (including reactors, heat exchangers, and pump). TCI, FOC, and VOC were estimated based on the PEC using the Peters and Timmerhaus Method [9]. The table below (Table S3) summarises the equipment costs calculated using the equations mentioned in the previous sections (section 7.1 and 7.2) and the corresponding PEC.

Table S3 Summary of equipment costs and the PEC.

Equipment	Price (K\$)
Reactors	
Fuel Reactor	188
Air Reactor	885.3
Steam Reactor	46
Heat Exchangers	
Ammonia Pre-heater-1	5.1
Ammonia Pre-heater-2	5.1
Ammonia Vaporiser	21
Economiser	23.5
Steam Generator-1	11.8
Steam Generator-2	4.02
Air Heater	5.34
Pump	
DMW Pump	6.7
Total (PEC)	1202

The individual components used to estimate the DC and IC, as well as the TCI, FOC, and VOC calculated based on the PEC, are summarised in the tables below (Table S4 and Table S5).

Table S4 Calculation of DC, IC, TCI, FOC, and VOC.

Parameter	Assumption	Unit
Capacity Factor	90% [10]	
Scaling Factor	0.7 [7]	
Parasitic Power Requirement	13% of H ₂ HHV [11]	
Power Cost	103.53 [12]	\$
Cost of Renewable NH ₃ (LCOA)	473 [13]	\$.ton ⁻¹
Interest rate & Plant Life	10	%
Plant Economic Life	25	Years
Direct Costs (DC) [9]		
Equipment Installation	0.39 PEC	
Instrumentation and Control	0.26 PEC	
Piping	0.30 PEC	
Electrical Systems	0.10 PEC	
Buildings	0.29 PEC	
Land & Yard Improvements	0.18 PEC	
Services & Facilities	0.55 PEC	
Total Direct Costs	3.08 PEC	
Indirect Costs (IC) [9]		
Engineering & Supervision	0.32 PEC	
Construction Expenses	0.34 PEC	
Legal Expenses & Contractor's fee	0.23 PEC	
Contingencies	0.37 PEC	
Total Indirect Costs	1.26 PEC	
Fixed Capital Investment = DC + IC	4.34 PEC	
Working Capital (WCI = 0.15FCI)	0.65 PEC	
TCI = WCI + FCI	≈ 5 PEC	
Fixed Operating Cost (FOC)	0.01 TCI [14]	
Variable Operating Cost (VOC)	0.02 TCI [14]	

Table S5 Summary of Capital Cost and Annual Expenditure.

Type	Cost (Million \$)
Capital Investment	
Direct Capital Costs	3.69
Indirect Capital Costs	1.51
Fixed Capital Investment	5.20
Working Capital Investment	0.78
TCI	5.98
Annual Expenditure	
Fixed Operating Cost	0.06
Variable Operating Cost	0.12
Power Cost	0.0003
Annual Recovery	0.66
Ammonia (Feed)	4.55
Total Annualised Cost	5.39

7.4 Estimation of Levelised Cost of Hydrogen (LCOH)

The Levelised Cost of Hydrogen (LCOH) was estimated using the equations below:

$$LCOH = \frac{(CAPEX + Power_{Cost} + Heat_{Cost} + FOC + VOC)}{CF \times 8760 \times M_{H_2}}$$

$$CAPEX = TCI \times FCF$$

where $CAPEX$ is the annual Capital Expenditure, TCI is the Total Capital Investment, $Power_{Cost}$ is the cost of power input for the pump work (value shown in Table S4), $Heat_{Cost}$ is the cost of heat input (which is equal to 0), M_{H_2} is the hydrogen production rate in kg/h, CF is the capacity factor estimated considering a unit turn-around of 1 month ($CF = 0.916$), FCF is the Fixed Charge Factor, or fixed annual payment, estimated using the equation below, with an interest rate r (assumed to be 10%) and an economic life of the unit N of 25 years.

$$FCF = \frac{r(1+r)^N}{(1+r)^N - 1}$$

Based on a LCOA of \$473 ton^{-1} [13], the LCOH was calculated to be \$4.61 kg^{-1} . The contribution from each of the contributors to the LCOH (Levelised Cost of Ammonia (LCOA), annual CAPEX, FOC, VOC, and power cost) for the proposed process is shown in the figure below (Figure S1). The variations in their contribution were also evaluated for a series of LCOA, ranging from \$150 – 450 ton^{-1} , as shown in Figure S2.

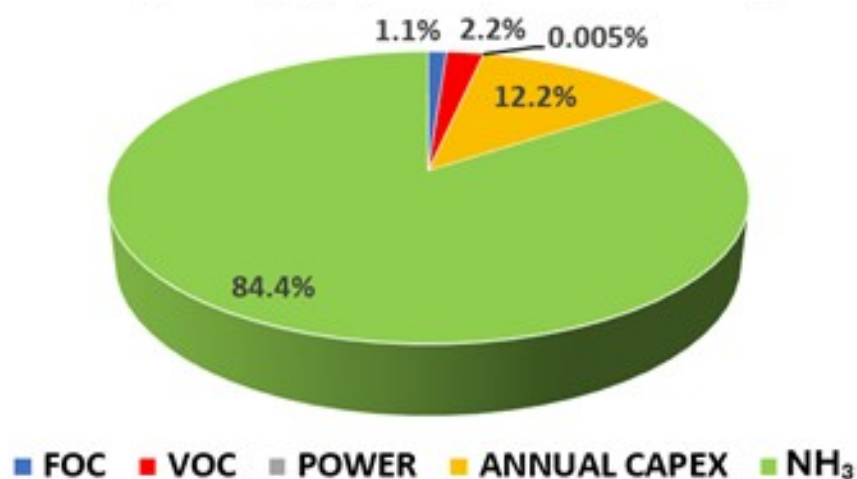


Figure S1 The contribution of the five contributors to the LCOH with a LCOA of \$473 ton^{-1} .

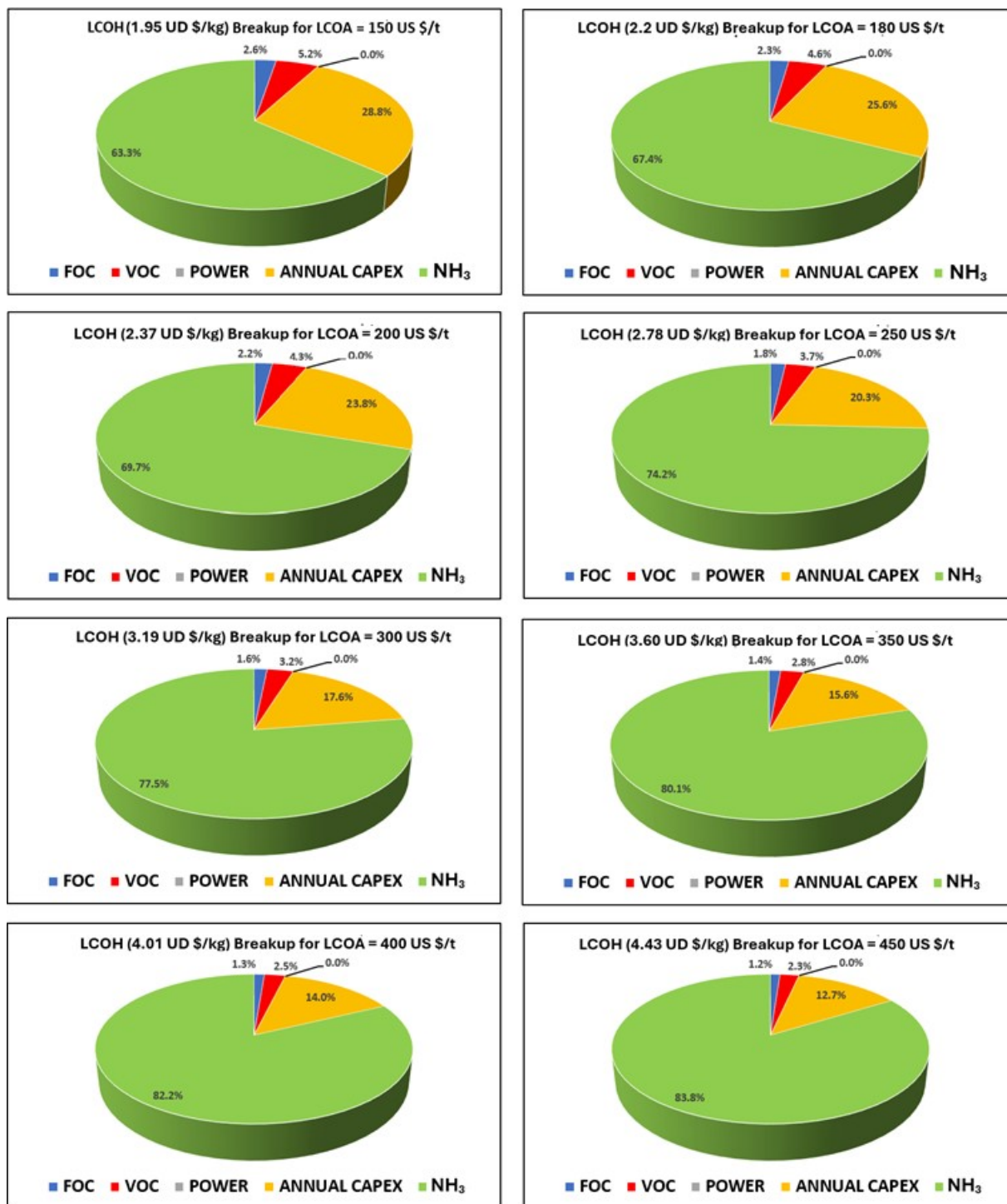


Figure S2 The contribution of the five contributors to the LCOH with different LCOA values.

It can be concluded that the largest contributor to the LCOH is the cost of the feed ammonia (over 60% for all cases), followed by the annual CAPEX, VOC, and FOC. The contribution of power cost is negligible. Future potential for large scale commercialisation of the process is immense, as significant reduction in the cost of ammonia is expected. For instance, studies revealed that the Levelised Cost of Ammonia (LCOA) can achieve \$310 ton⁻¹ by 2030, and \$245 – 250 ton⁻¹ by 2040, which can reduce the LCOH to \$3.1 - 3.7 kg⁻¹ for ammonia CLCr processes.

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